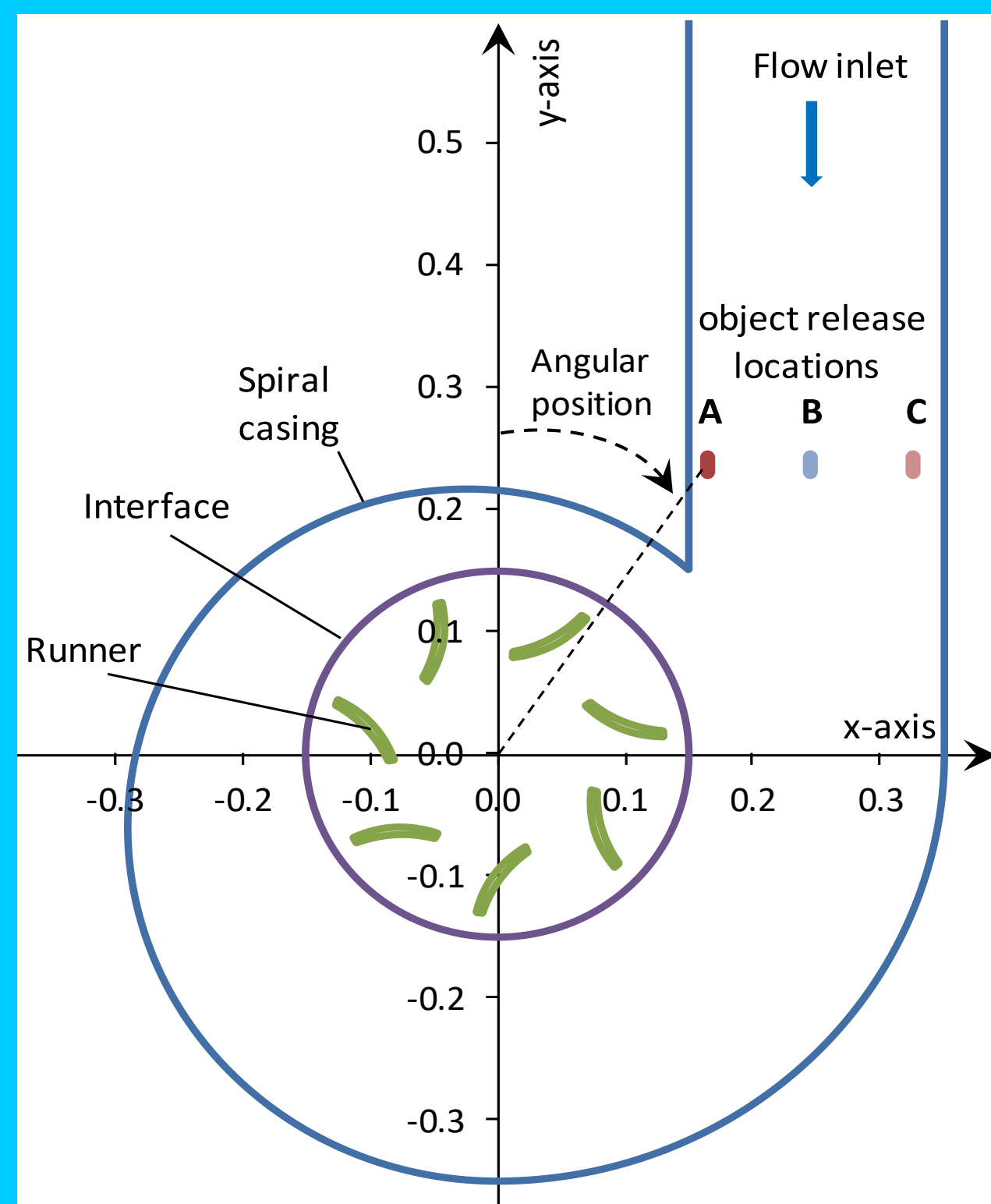




Numerical modelling of fish passage and flow interaction in a hydroturbine

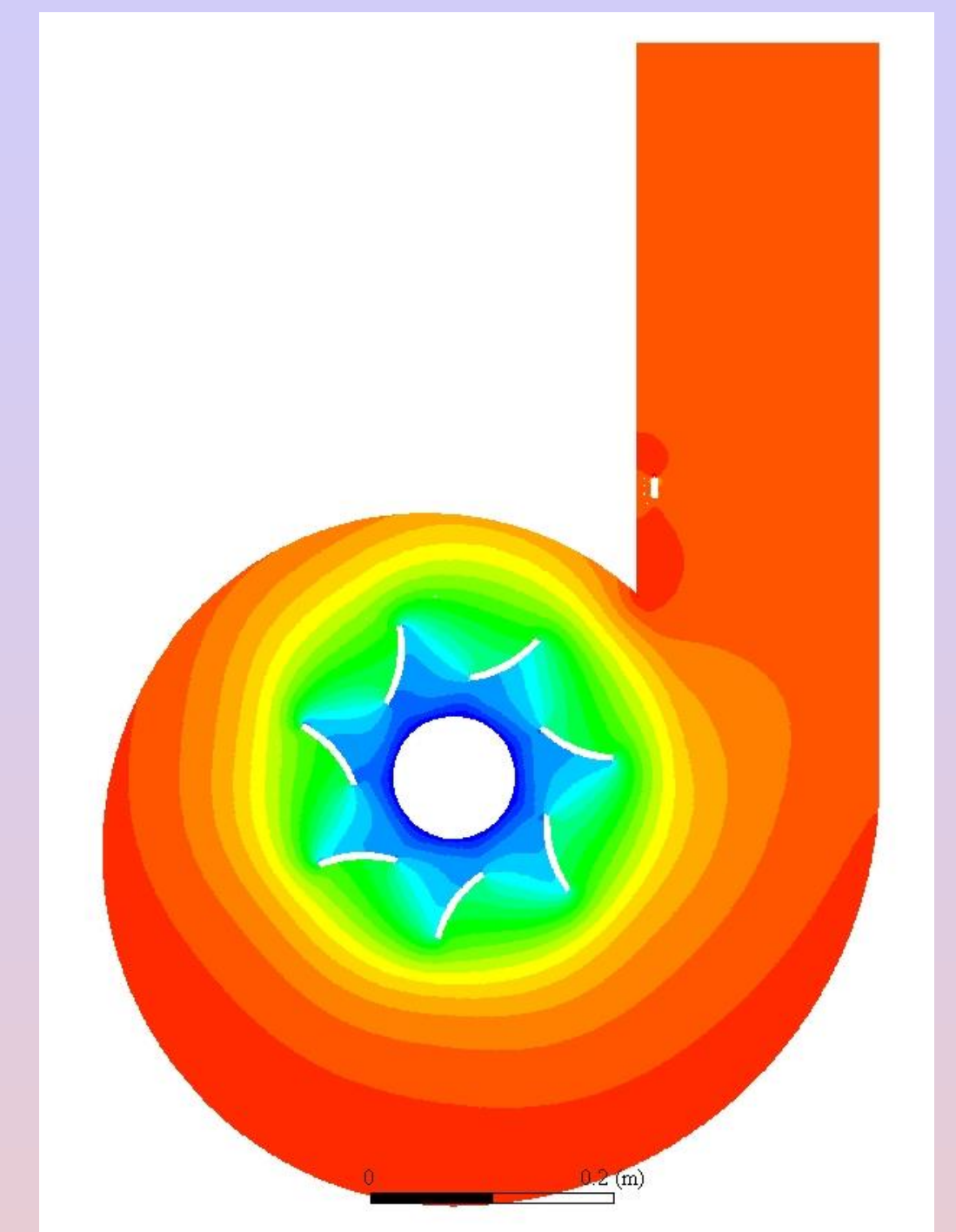
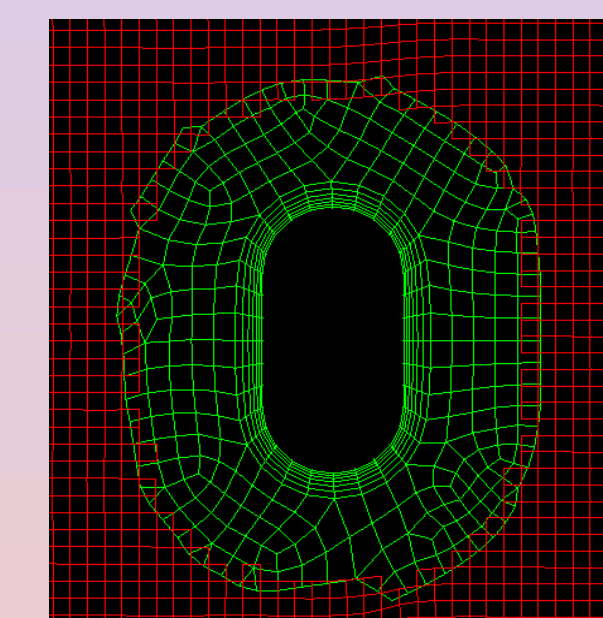
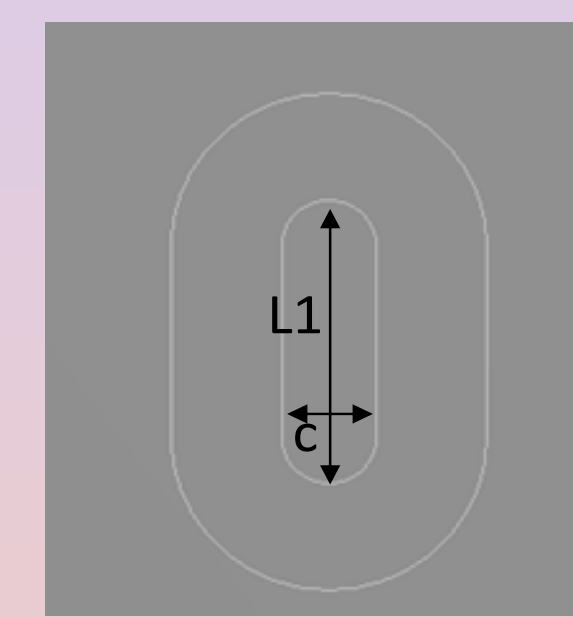
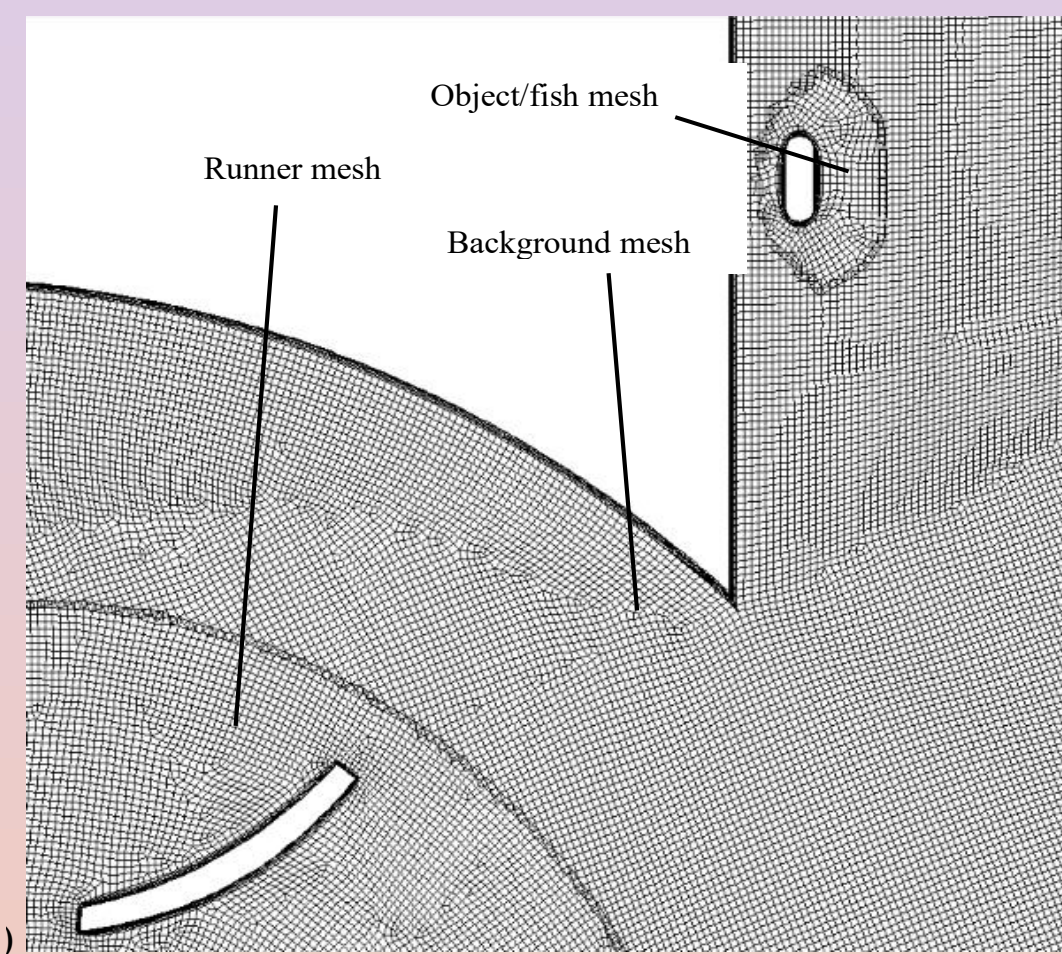
I. Kassanos, V. Sanoudos-Dramaliotis, J. Anagnostopoulos

Computational domain (below) and details of the numerical meshes (right)



Fish motion simulation - A. Overset mesh technique

- Solve RANS equations on a background mesh in a simplified, 2D reaction turbine domain.
- Individual component meshes are overlain: For the runner and for the object/fish.
- Update location and active background cells as the object moves.
- Exchange information between meshes by interpolation
- A fish is modelled as a rectangular rigid object (various aspect ratios)

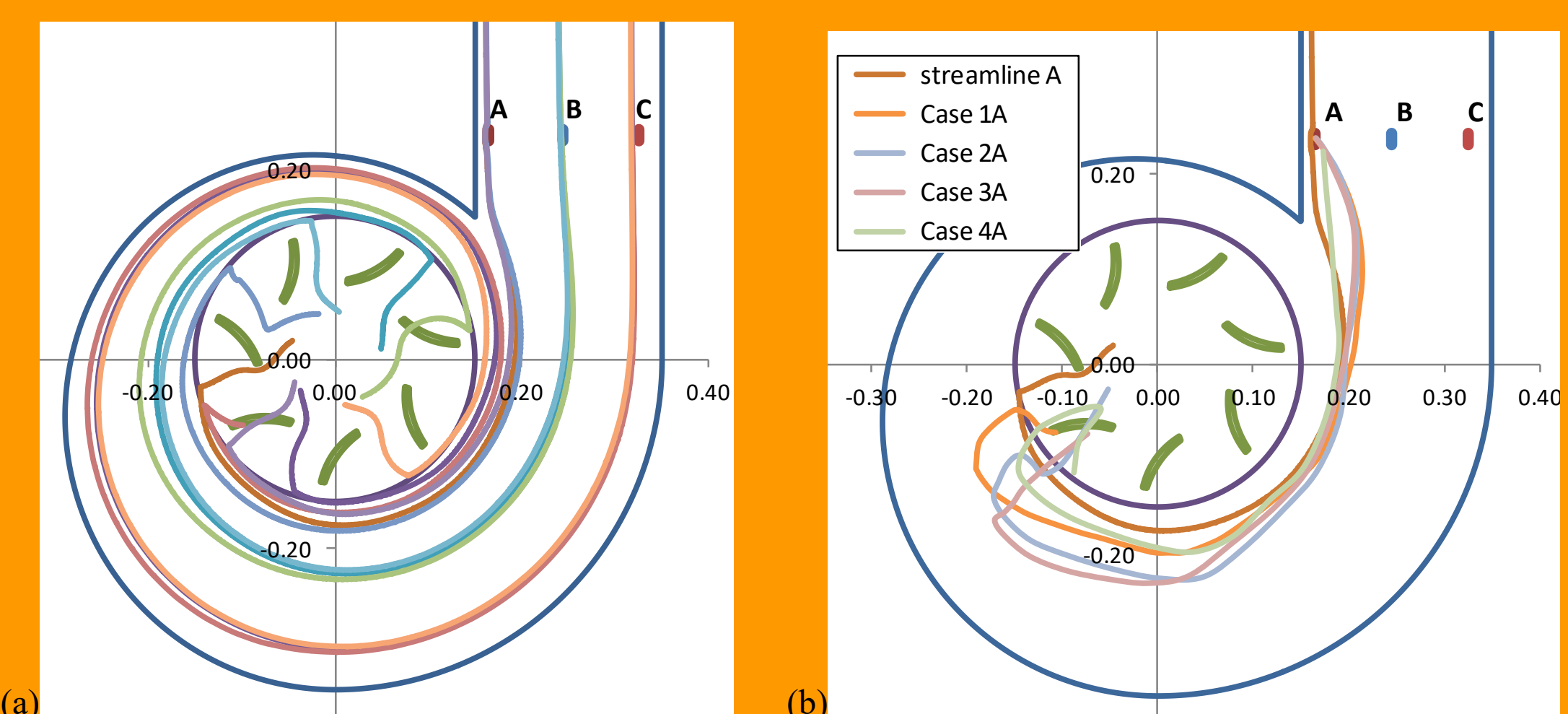


RANS SOLUTION
(Pressure field)

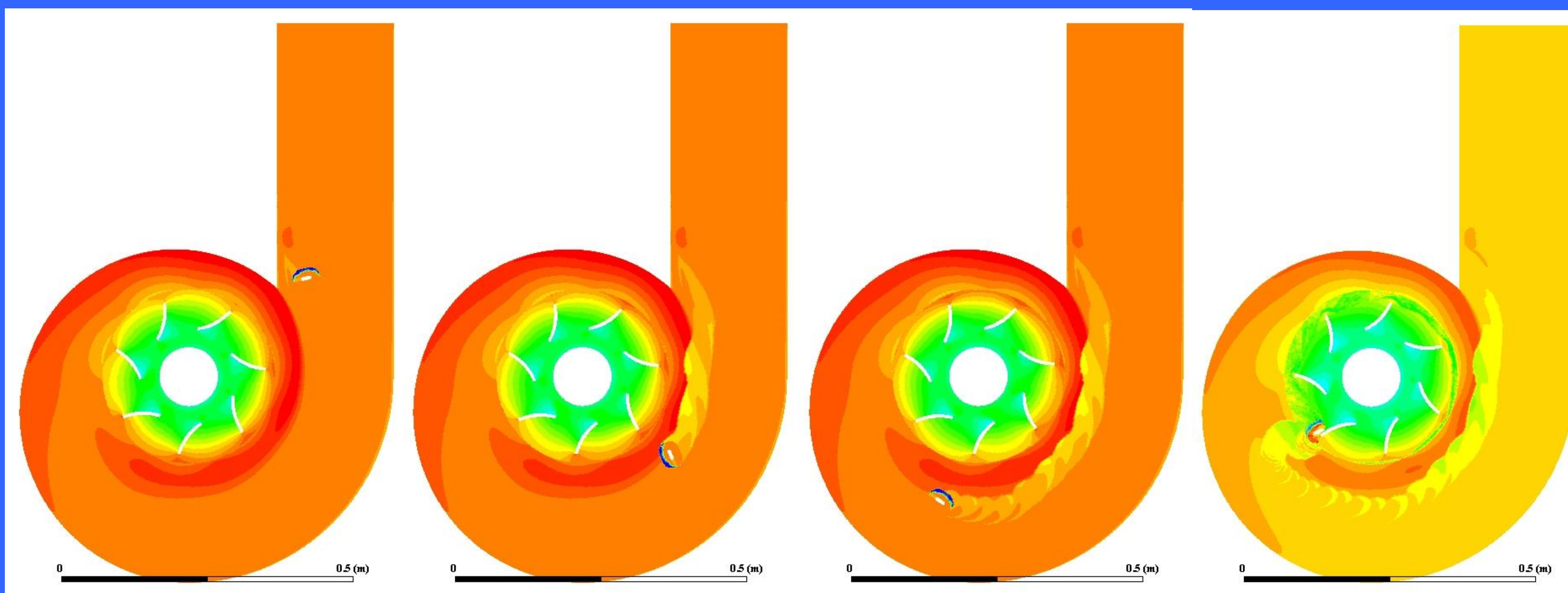
VARIOUS TEST CONDITIONS EXAMINED NUMERICALLY

Cases	Flow rate (% Q_N)	Num. of blades	Object shape (l:c)
C1 (reference)	High 100	7	Thin 4:1
C2	Low 70	7	Thin 4:1
C3	High 100	9	Thin 4:1
C4	High 100	7	Thick 4:2

(a) Flow streamlines through points A, B and C
(b) object pathways released from position A



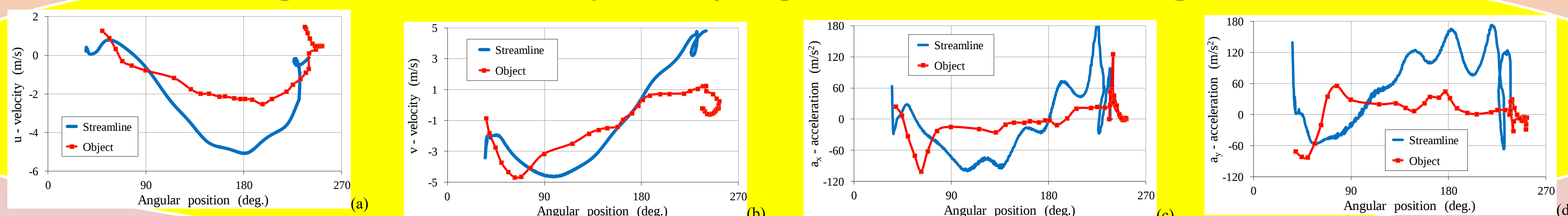
Indicative snapshots from the simulated motion of an object/fish motion through the turbine



Conclusions

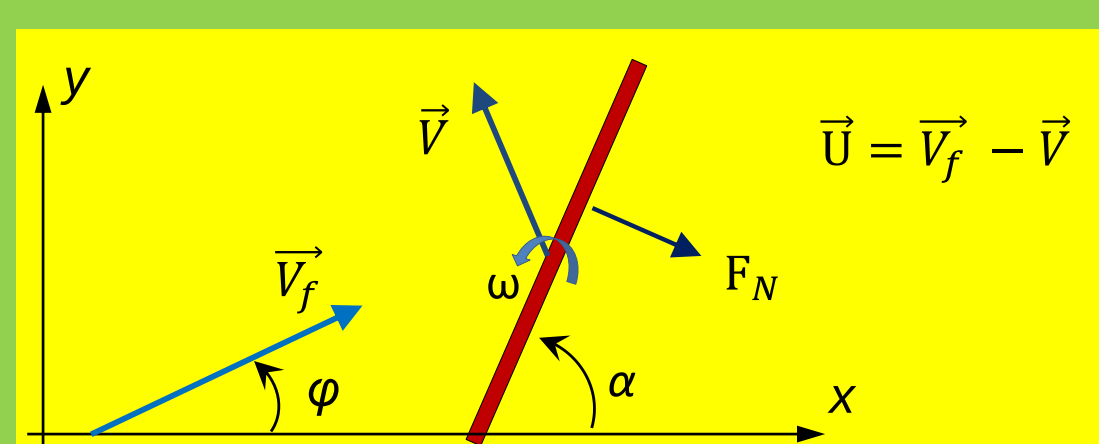
- ❑ Difference in object path between some cases are substantial.
- ❑ All paths show remarkable deviation from the flow streamlines.
- ❑ Object velocity and acceleration also show remarkable differences from the streamlines, especially near the runner.
- ❑ Overset technique is quite accurate and can produce realistic results.
- ❑ But it is computationally costly – hence not suitable for fish friendliness assessment and design optimization.

Comparison between fluid and object velocity components (a, b), and acceleration components (c, d)



B. Hydrodynamic Method (approximate)

- Object motion driven by the normal force /torque acting on a rotating plate.
- Functions of the angle of attach. 3 Degrees-of-Freedom object motion.
- Very fast trajectory computations (msec)

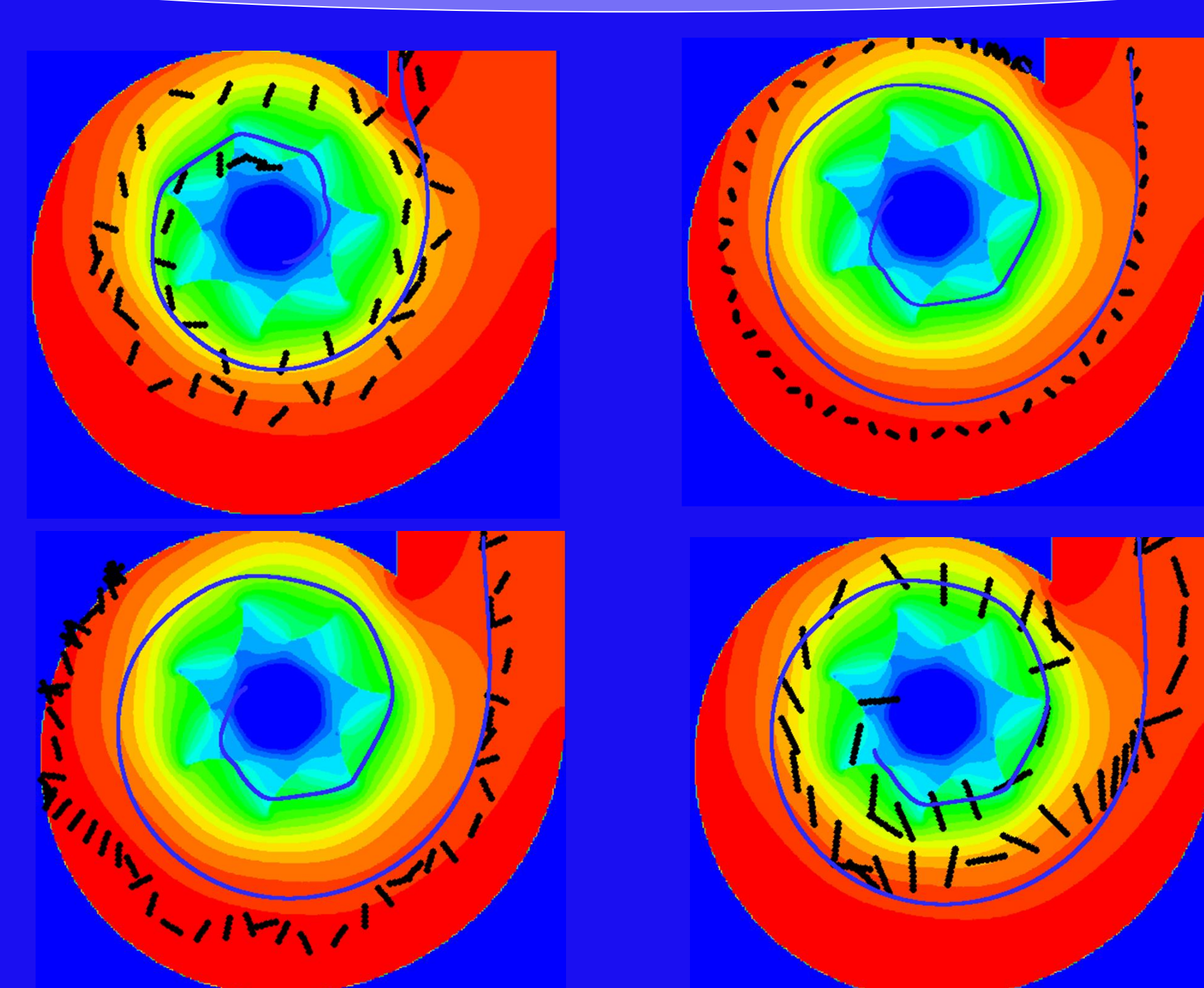


$$m \frac{du}{dt} = C_N(\alpha - \varphi) \frac{\rho}{2} U^2 L \sin(\alpha)$$

$$m \frac{dv}{dt} = -C_N(\alpha - \varphi) \frac{\rho}{2} U^2 L \cos(\alpha)$$

$$I_{zz} \frac{d\omega}{dt} = -C_M(\alpha - \varphi) \frac{\rho}{2} U^2 L^2$$

Indicative trajectories for various object dimensions



Scheduled numerical methodologies

- ❑ Calibration of hydrodynamic method to produce results close to the overset simulation.
- ❑ Deep Neural Networks for instant reproduction of the flow field around the moving object.
- ❑ Implication of a meshless CFD tool (e.g. SPH) for one- or two-way FSI.